

29-30. 2019.

- 10. 100.
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- 5 .
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1. (3)

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2. (2)

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3. (4)

2004.

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Wal-Mart Stores	10267
Exxon	25330
General Electric	16593
Citigroup	17046
Home Depot	5001
target	11361
Pfizer	3198

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4. (5) Koj

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1, 1, 1, 1, 1,

2, 2, 2, 2,

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0 1.

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5. (5)

2010-2018.

12,3%.

2010.

84

2018.

:

. 85,26

. 212,52

. 189,168

. 150,64

•

:

6. (6)

2018.

	( )
	14.926.240.000
	43.699.770.000
	27.413.750.000
	118.690.930.000

: [www.imf.org](http://www.imf.org)

?

7. )

200 . 100 ,  
80 4. 5. 75, 69 87,

4?

(8)

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30

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	1	2	3	4	5
	2	1	7	10	10

(6)

8.

( 000 )

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	8	13	16	21	28	34
	50	46	41	33	29	20

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(10)

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(6)

9.

2018. :

2018.

	( )		( )	( )
	12.500	12.800	190	2.560.000
	9.200	8.700	145	1.392.000
	7.300	7.900	120	790.000

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(7)

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(5)

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(5)

10.

2012-2018. .

2012-2018.

	2012.	2013.	2014.	2015.	2016.	2017.	2018.
( 2014-2016=100)	56,7	66,7	80	100	120	146,7	153,3

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150

(7)

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(8)

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2012-2018.

(10)

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2019.

(3)

**29-30. 2019.**

1. : (3 )
2. : (1 )
- : ( .2, 3, 5, 7, 40). (1 )

3.

	( )
Wal-Mart Stores	10267
Exxon	25330
General Electric	16593
Citigroup	17046
Home Depot	5001
Target	11361
Pfizer	3198

- : (1 )
- ? 7 . (1 )
- . (1 )
- ? (1 )
4. : (1 )
- 1, 1, 1, 1, 1, 2, 2, 2, 2, 2, .

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0 1.

1 . (5 )

5. : . 212,52 (5 )

$$r_g = \left( \sqrt[t]{\frac{Y_T}{Y_1}} - 1 \right) \cdot 100 = 12,3\%$$

$$r_g = \left( \sqrt[8]{\frac{Y_T}{84}} - 1 \right) \cdot 100 = 12,3\%$$

$$Y_T = 212,52$$

6.

	( )	
	14.926.240.000	12,6
	43.699.770.000	36,8
	27.413.750.000	23,1
	118.690.930.000	

:

$$I = \frac{14.926.240.000}{118.690.930.000} \cdot 100 = 12,6$$

( ) 1 . (3 )

- 87,4%.
- 63,2%.
- 76,9%.

1 . (3 )

7.

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$$(75 + 69 + 87 + \dots) / 5 \geq 80$$

(4 )

$$\geq 169$$

(2 )

$$169.$$

(2 )

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$$= 4 \quad = 5 (f_{\max} = 10)$$

(2 )

$$4 \quad 5.$$

(1 )

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	« »
1	2
2	3
3	10
4	<b>20</b>
5	30

$$(30 \quad ),$$

$$\frac{N+1}{2} = 15,5.$$

$$( \quad 15. \quad 16. \quad ).$$

(1 )

20,

$$4 ( \quad = 4).$$

(2 )

8.

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:

$$\bar{x}_1 = \frac{\sum x}{N} = \frac{120}{6} = 20;$$

(1 )

$$t_1 = \sqrt{\frac{\sum x^2 - \frac{(\sum x)^2}{N}}{N}} = \sqrt{\frac{2870 - \frac{120^2}{6}}{6}} = 8,851;$$

(2 )

$$V_1 = \frac{t_1}{\bar{x}_1} \cdot 100 = \frac{8,851}{20} \cdot 100 = 44,3\%$$

(1 )

:

$$\bar{x}_2 = \frac{\sum x}{N} = \frac{219}{6} = 36,5;$$

(1 )

$$t_2 = \sqrt{\frac{\sum x^2 - \frac{(\sum x)^2}{N}}{N}} = \sqrt{\frac{8627 - \frac{219^2}{6}}{6}} = 10,275; \quad (2)$$

$$V_2 = \frac{t_2}{\bar{x}} \cdot 100 = \frac{10,275}{36,5} \cdot 100 = 28,2\% \quad (1)$$

(2)

)

	(x)	(y)	$x^2$	$y^2$	y
	8	50	64	2500	400
	13	46	169	2116	598
	16	41	256	1681	656
	21	33	441	1089	693
	28	29	784	841	812
	34	20	1156	400	680
	<b>120</b>	<b>219</b>	<b>2.870</b>	<b>8.627</b>	<b>3.839</b>

$$r = \frac{\frac{\sum xy}{n} - \bar{x} \cdot \bar{y}}{\sqrt{\left(\frac{\sum x^2}{n} - \bar{x}^2\right)} \cdot \sqrt{\left(\frac{\sum y^2}{n} - \bar{y}^2\right)}} = \frac{\frac{3839}{6} - 20 \cdot 36,5}{\sqrt{\frac{2870}{6} - 20^2} \cdot \sqrt{\frac{8627}{6} - 36,5^2}} = -0,991 \quad (4)$$

$$r = -0,991 \quad -1,$$

(2)



9.)

2018.

	( )		( )	( )	$p_p q_p = p_p \cdot q_p$	$q_r$
	a ( $p_p$ )	( $p_r$ )				
	12.500	12.800	190	2.560.000	2.375.000	200
	9.200	8.700	145	1.392.000	1.334.000	160
	7.300	7.900	120	790.000	876.000	100
				<b>4.742.000</b>	<b>4.585.000</b>	

a :  
 $q_r$  (0,5 )  
 $p_p q_p$  (0,5 )

$I_{ip(q)} = \frac{q_r}{q_p} \cdot 100$
105,3
110,3
83,3

(1,5 )

5,3% 2018. (0,5 )  
 10,3% 2018. (0,5 )  
 16,7% 2018. (0,5 )

$I_{ip(v)} = \frac{q_r \cdot p_r}{q_p \cdot p_p} \cdot 100$
107,8
104,3
90,2

(1,5 )

2018. 7,8%.  
 (0,5 a)  
 2018. 4,3%.  
 (0,5 a)  
 2018. 9,8%.  
 (0,5 a)

)

$q_p p_r$
2.432.000
1.261.500
948.000
<b>4.641.500</b>

:

$q_p p_r$  (2 )

$$I_{ip(q)} = \frac{\sum q_r p_r}{\sum q_p p_r} \cdot 100 = \frac{4.742.000}{4.641.500} \cdot 100 = 102,2 \quad (2 \quad )$$

2018. 2,2%. (1 )

)

$q' p_p$
2.375.000
1.334.000
730.000
<b>4.439.000</b>

:

$q' p_p$  (2 )

$$I_{ip(p)} = \frac{\sum q' p_p}{\sum q_p p_p} \cdot 100 = \frac{4.439.000}{4.585.000} \cdot 100 = 96,8 \quad (2 \quad )$$

3,2%,

(1 )

10.

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$$Y_0 = 150$$

$$: I_t = \frac{Y_t}{Y_0} \cdot 100, \quad :$$

$$Y_{2012} = \frac{56,7 \cdot 150}{100} = 85,05, \quad Y_{2013} = \frac{66,7 \cdot 150}{100} = 100,05, \dots$$

2012-2018.

	2012.	2013.	2014.	2015.	2016.	2017.	2018.
	85,05	100,05	120	150	180	220,05	229,95

(7 )

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$$: L_t = \frac{Y_t}{Y_{t-1}} \cdot 100, \quad :$$

$$L_{2013} = \frac{100,05}{85,05} \cdot 100 = 117,6, \quad L_{2014} = \frac{120}{100,05} \cdot 100 = 119,9, \dots$$

2012-2018.

	2012.	2013.	2014.	2015.	2016.	2017.	2018.
	-	117,6	119,9	125	120	122,3	104,5

(6 )

=

- 100

2012-2018.

	2012.	2013.	2014.	2015.	2016.	2017.	2018.
	-	17,6%	19,9%	25%	20%	22,3%	4,5%

(2 )

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	$Y_t$	$t$	$t^2$	$t \cdot Y_t$
2012.	85,05	1	1	85,05
2013.	100,05	2	4	200,1
2014.	120	3	9	360
2015.	150	4	16	600
2016.	180	5	25	900
2017.	220,05	6	36	1320,3
2018.	229,95	7	49	1609,65
	<b>1085,1</b>	<b>28</b>	<b>140</b>	<b>5075,1</b>

$$\hat{b} = \frac{T \sum tY_t - \sum t \sum Y_t}{T \sum t^2 - (\sum t)^2}$$

$$\hat{b} = \frac{7 \cdot 5075,1 - 28 \cdot 1085,1}{7 \cdot 140 - 28^2} = 26,239$$

(  
**6** )

$$\hat{a} = \bar{Y} - \hat{b}\bar{t} = \frac{1085,1}{7} - 26,239 \cdot \frac{28}{7} = 50,058$$

(  
**3** )

$$\hat{Y}_t = 50,058 + 26,239 \cdot t$$

(**1** )

:

	$y$	$x$	$x^2$	$x \cdot y$
2012.	85,05	-3	9	-255,15
2013.	100,05	-2	4	-200,1
2014.	120	-1	1	-120
2015.	150	0	0	0
2016.	180	1	1	180
2017.	220,05	2	4	440,1
2018.	229,95	3	9	689,85
	<b>1085,1</b>	<b>0</b>	<b>28</b>	<b>734,7</b>

$$b = \frac{\sum xy}{\sum x^2} = \frac{734,7}{28} = 26,239$$

$$a = \frac{\sum y}{n} = \frac{1085,1}{7} = 155,014$$

$$y_t = 155,014 + 26,239 \cdot x$$

(**3** )

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$$\hat{Y}_t = 50,058 + 26,239 \cdot t = 50,058 + 26,239 \cdot 8 = 259,97$$

$$y_t = 155,014 + 26,239 \cdot x = 155,014 + 26,239 \cdot 4 = 259,97$$